



## Six-Four Chords and Revisiting IV

You might have noticed that we have not discussed any six-four ( $\text{}^6_4$ ) chords in our studies (save for their simple definition in Part 1). They occur much less often than root-position and first-inversion chords because of their dissonant interval of a fourth above their bass; root-position and first-inversion triads contain only consonant intervals (octaves, thirds, fifths, and sixths). While their intervals stack into second-inversion triads, they rarely function as do their root-position and first-inversion cousins. In fact, we will see that six-four chords are often only apparent harmonies resulting from the coincidence of passing and neighboring tones in two or more voices. Thus, six-four chords require careful contextual analysis and writing. Six-four chords occur in either unaccented or accented contexts; we discuss them next, in that order.

### Unaccented Six-Four Chords I: Pedal

Unaccented six-four chords usually occur on weak beats within a measure or on weakly accented measures in four-measure groups. Listen to the short excerpt in Example 14.1, noting the six-four chord's function. You probably heard the opening of this famous Christmas carol as a single prolonged tonic harmony. If so, you would have interpreted the two  $\text{IV}^6_4$  chords as sonorities that elaborate the much stronger-sounding tonic chords, rather than as some sort of structural chords. These six-four chords arise when the bass holds  $\text{B}^b$  and the inner voices ascend from  $\text{D}^4$  and  $\text{F}^4$  to  $\text{E}^4$  and  $\text{G}^4$ , followed by a return to  $\text{D}^4$  and  $\text{F}^4$ . Thus, the apparent  $\text{IV}^6_4$  arises through a neighbor figure exhibited simultaneously in two voices. Given the sustained bass over which the neighbor figure appears, we assign the name **pedal six-four chord** ( $\text{Ped}^6_4$ ). We label pedal six-four chords at the first level as  $\text{IV}^6_4$  and at the second level either as  $\text{I-Ped}^6_4\text{-I}$  or, with figured bass,  $\text{I}^5_3\text{-}\overset{6}{4}\text{-}\overset{5}{3}$ .